

Lecture 26 Occupancy (Presence /Absence) Estimation

Listing of Major Ecological Metrics

Single Season - Occupancy Metric

Multiple Seasons - Changes in Occupancy
Metrics

Single Season Occupancy this lecture

Ecological Metrics: Different Choices for Different Situations

Individual Species Metrics

Population Metrics (Earlier Lectures)

Presence / Absence or Occupancy Metric (This Lecture)

Community Metrics (Recent Lectures)

Species Richness

Species Diversity

Species Abundance Curves

One Common Theme in the Recent Research on all Metrics is the Need To Account For Detection Probability

Patch Occupancy Rate Metric: The Problem

- Conduct “presence-absence” (detection-non detection) surveys for a particular species of interest. Estimate what fraction of sites (or area) is occupied by a species (ψ) when the species is not always detected with certainty, even when present (i.e. $p < 1$)
- Naïve Occupancy rate estimates are biased low because some sites where the species was not detected are occupied.
- In other words apparent absence of a species from a site may just be a failure to detect the species. This could be because individuals are hard to detect or because the species is very rare or both!!
- Also can we detect changes in the occupancy rate temporally or spatially.

Patch Occupancy Metric: Motivation

Some Reasons why the Information may be Needed

- Extensive Monitoring Programs
- Geographic Range Changes (climate change, habitat fragmentation, pollution)
- Meta Population Processes
- Habitat Selection
- Invasive Species Spread

Model Parameters

ψ_i -probability site i is occupied

p_{ij} -probability of detecting the species in site i at time j , given species is present

Note-Both may be functions of patch specific covariates

Patch Occupancy Metric: Key Design Issue is “Replication” to Estimate Detection Probability

- Replication is crucial if we are to separate occupancy from detection probability. There are several types of replication possible.
- Usual method is **temporal replication**: several repeat visits to sample units within a relatively short period of time (e.g., a breeding season)
- **Spatial replication**: randomly select a subsample of sites within each sample unit
- **Observer replication**: have several observers go to each site independently

Data Summary: Detection Histories

- A detection history (h_i) for each visited site or sample unit (i)
 - 1 denotes detection
 - 0 denotes nondetection
- Example detection history: $h_i = 1\ 0\ 0\ 1$
 - Denotes 4 visits to site
 - Detection at visits 1 and 4, non detection at 2 and 3

Data Summary: Detection Histories: 4 visits to S sites. S is known.

Site	Detection History
1	1101
2	1001
3	1100
4	0000-
.	
.	
S	1011

Note detections histories with all 0s allowed (Differs in capture-recapture)

A Probabilistic Model: Very Similar to Capture-Recapture Models in Concepts Used

Sites that are occupied, For example

$\Pr(\text{detection history } 1001) = \Pr(h_i = 1001) =$

$$\psi_i [p_{i1}(1-p_{i2})(1-p_{i3})p_{i4}]$$

Model: Key Issue, Apparent vs. True Absence

Sites where the species was not detected at all. These sites may or may not be occupied

$$\Pr(\text{detection history } 0000) = \Pr(h_k = 0000) =$$

$$\psi_k \prod_{j=1}^4 (1 - p_{kj}) + (1 - \psi_k)$$

First Term- Site is Occupied but Species Escapes Detection

Second Term- Site is Unoccupied

3 Visit Example: All Cell Types

If 3 visits then there are 8 capture histories with expected numbers

$$111 \quad N \psi p_1 p_2 p_3$$

$$110 \quad N \psi p_1 p_2 (1 - p_3)$$

$$101 \quad N \psi p_1 (1 - p_2) p_3$$

$$011 \quad N \psi (1 - p_1) p_2 p_3$$

$$100 \quad N \psi p_1 (1 - p_2) (1 - p_3)$$

$$010 \quad N \psi (1 - p_1) p_2 (1 - p_3)$$

$$001 \quad N \psi (1 - p_1) (1 - p_2) p_3$$

$$\rightarrow 000 \quad N [\{\psi (1 - p_1) (1 - p_2) (1 - p_3)\} + (1 - \psi)]$$

We can estimate the parameters $\{\psi, p_1, p_2, p_3\}$

or submodels using ML methods. We could also make

ψ and p functions of covariates

Model: The Likelihood Function

- The combination of these statements forms the model likelihood:

$$L(\underline{\psi}, \underline{p} | h_1, h_2, \dots, h_S) = \prod_{i=1}^S \Pr(h_i)$$

- Maximum likelihood estimates of parameters can be obtained
- Var-Cov matrix estimated using inverse of Fisher Information or parametric bootstrap
- However, parameters cannot be site-specific without additional information (covariates)

Model: Assumptions

- The detection process is independent at each site
- No heterogeneity that cannot be explained by covariates
- Sites are closed to changes in occupancy state between sampling occasions

Model: Covariates

- Site-specific: model ψ and/or p
 - e.g., habitat type, patch size, patch isolation
- Survey-specific: model p
 - e.g., local environmental conditions (water temperature)
- Use link function such as **logistic**. Here is an example for:

$$p_{ij} = \frac{e^{\beta_0 + \beta_1 x_i + \beta_2 y_{ij}}}{1 + e^{\beta_0 + \beta_1 x_i + \beta_2 y_{ij}}}$$

Model: 'Missing' Observations

- Implicit assumption that j^{th} surveys for all units are conducted at (approximately) the same time; possibly unlikely in practice
- Weather or breakdowns may result in some units not being surveyed
- Equal sampling effort may not be possible with available resources

'Missing' Observations

Unit	Day				
	1	2	3	4	5
1	1	0	1	-	0
2	-	0	-	1	1

$$\Pr(\mathbf{H}_1 = 101-0) = \psi p_1 (1-p_2) p_3 (1-p_5)$$

$$\Pr(\mathbf{H}_2 = -0-11) = \psi (1-p_2) p_4 p_5$$

Model: Software

- Windows-based software:
 - Program PRESENCE (J. Hines & D. MacKenzie) is available at the Patuxent Software Site. We will demonstrate in a later lecture.
 - Program MARK (G. White).
- Fit both predefined and custom models, with or without covariates
- Provide maximum likelihood estimates of parameters and associated standard errors
- Assess model fit

Simple Example: Anurans at Maryland Wetlands (Droege and Lachman)

- Frogwatch USA (NWF/USGS)
- Volunteers surveyed sites for 3-minute periods after sundown on multiple nights
- $S = 29$ wetland sites; Piedmont and Coastal plain
- 27 Feb. – 30 May, 2000
- Covariates:
 - Sites: habitat ([pond, lake] or [swamp, marsh, wet meadow])
 - Sampling occasion: air temperature

Example: Anurans at Maryland Wetlands (Droege and Lachman)

- American toad (*Bufo americanus*)
 - Detections at 10 of 29 sites (Naïve = $10/29=0.34$)

Example: Anurans at Maryland Wetlands (*B. americanus*)

Model	ΔAIC	$\hat{\psi}$	$\hat{SE}(\hat{\psi})$
$\psi(\text{hab})p(\text{tmp})$	0.00	0.50	0.13
$\psi(.)p(\text{tmp})$	0.42	0.49	0.14
$\psi(\text{hab})p(.)$	0.49	0.49	0.12
$\psi(.)p(.)$	0.70	0.49	0.13

Naive

$$\hat{\psi} = 0.34$$

Example: Anurans at Maryland Wetlands (*B. americanus*)

- Notice that the naive occupancy estimates have a serious negative bias (0.34 vs. 0.5).
- Notice that choice of model has little effect on the estimate or its SE.
- Notice that $S=29$ is a very small no. of sites to monitor!! Thus the SEs are quite large under all the different models. The largest Relative SE is about 28 % (0.14/0.49). Also this is why the AIC is having trouble distinguishing between the models.
- Clearly this estimate will be of most use an ecologist if compared to estimates in different years in a monitoring program to detect trends in occupancy.

Model assumptions

- Closure
- Surveys are independent
- No unmodeled heterogeneity

Closure: What if Occupancy Changes during the Survey?

- Is a 'season' defined appropriately? The max length of time that is reasonable will depend on the species.

Lack of Independence

- Surveys are not independent if the outcome of survey A is dependent upon the outcome of survey B.
- Usually, parameter estimates may be OK, but standard errors too small

Unmodeled Heterogeneity

In occupancy probabilities

- parameter estimates should still be valid as average values across the sites surveyed

In detection probabilities

- occupancy will be underestimated (similar to capture-recapture studies)
- covariates may account for some sources of variation

Abundance induced Heterogeneity

- Differences in the local abundance of the species between sites may induce heterogeneity in detection probability
- Royle and Nichols (2003) suggested an extension of the above method to accommodate this (location i , time j)

$$p_{ij}^{(N)} = 1 - (1 - p_j)^{N_i}$$

Design Issues for Occupancy Studies

- What is a ‘season’?
- How to define a ‘sampling unit’?
- Selecting sampling units
- Repeat surveys
- Avoiding heterogeneity
- More units vs. more surveys?

What is a 'Season'?

- A season is a period of time during which it is reasonable to assume occupancy is static or changes occur completely at random
- Depends very much on the target species and study objective

How to define a ‘sampling unit’?

- Should be assessed on a case-by-case basis
- Large enough to have a reasonable probability of occupancy, but not so large that any measure may be meaningless
- Size matters!

How to define a ‘sampling unit’?

- Is there a natural definition?
- At what scale do you want to measure occupancy?
- Is the species territorial?
- What density does it occur at?
- What is the size of it’s home range?

Selecting Sampling Units

- How units are selected determines how results can be generalized
- Each sampling unit within the population should have a non-zero probability of being selected
- If units are selected such that occupancy is different than for the population of interest, estimates may be biased.
 - e.g., surveying only at historic sites

Repeat Surveys

Repeat surveys do not (necessarily) imply repeat visits

- Discrete visits
- Multiple surveys within single visit
 - Single observer, conducting multiple surveys
 - Multiple observers each conducting a single survey
 - Multiple survey plots within a larger sampling unit

Allocation of Effort

- For a ‘standard design’ there is an optimal number of repeat surveys per unit.
- The optimal number depends upon values for ψ and p .
- Does not depend upon number of units or total number of surveys.
- Reasonably robust to effect of cost.

How many Units?

- Once the number of repeat surveys has been determined, how many units to survey can be determined from the variance equation

$$\text{Var}(\hat{\psi}) = \frac{\psi}{U} \left[(1 - \psi) + \frac{(1 - p^*)}{p^* - Kp(1 - p)^{K-1}} \right]$$

$$p^* = 1 - (1 - p)^K$$

How many Units?

- Example, if $\psi \approx 0.7$ and $p \approx 0.4$, should use 5 surveys per unit; $p^* = 0.92$
- To achieve a SE of 0.04 use $S=183$ based on Equation 6.1 in the reference book and on the previous equation.

General Recommendations on Allocating Effort

- When detection probability is >0.5 , at least 3 surveys per unit
- More surveys will be required when p is lower
- For rare species, survey more units less intensively
- Increasing spatial replication with insufficient repeat surveys may not be worthwhile

General recommendations on allocating Sampling Effort

Example: if $\psi \approx 0.4$ and $p \approx 0.3$

Surveying 200 units twice gives $SE(\hat{\psi}) = 0.11$

Surveying 80 units 5 times gives $SE(\hat{\psi}) = 0.07$

- a decrease of 36%

With only 2 surveys per unit, would require 500 units to achieve same level of precision, or increase total effort 250%

Non-Standard Designs?

- Repeatedly surveying a subset of units and elsewhere only once *does not* generally provide a more efficient design.
- Surveying a unit repeatedly until first detection (up to a maximum) may provide a more efficient design, but may be less robust. (Note the ‘optimal’ maximum number is higher than values given in the previous table)
- The standard design where each site visited the same no of times is probably best.

Final Comments on Design

- Designing studies tends to be an iterative affair
- Simulation and pilot studies can provide useful information on how designs and field methods are likely to perform
- Program GENPRES (Hines) is available at the Patuxent Software Site.

Examples: Pronghorn Antelope Data

- Complete analysis given on P 113 in Book. Habitat covariates.
- One important point is that analyses ignoring detection probability (simple logistic regression on the apparent presence absence data) can be very misleading if the detection probability.
- It is much better to use the occupancy approach which can be viewed as a generalisation of logistic regression and allows for uncertain detection.

Other Examples: Giant Weta Study

- An ancient giant insect (Order Orthoptera) now endangered in NZ due to introduction of small rodents. P116 in Book.
- Therefore the need to look at occupancy within a reserve and how it is affected by habitat (browse vs non browse by cattle and goats)
- 72 3m radius plots searched between 3 and 5 times in March 2004

Other Examples: Giant Weta Analysis

Occupancy covariate - browse or no browse

Detection probability covariates - day and
observer

Best Model using AIC is $\psi(\text{Browse})$, $p(\text{day} + \text{observer})$

Other Examples: Giant Weta Analysis

Occupancy Estimation

Naive $\hat{\psi} = 0.49$ (SE = 0.06)

$\hat{\psi}(\text{Browse}) = 0.77$

$\hat{\psi}(\text{No Browse}) = 0.50$

$\hat{\psi} = 0.63$ (SE = 0.08)

Detection Probability Estimation

\hat{p} varied widely from 0.10 - 0.69.

That is why the occupancy estimate of 0.63 is so much higher than the naive occupancy estimate of 0.49.

Occupancy Estimation: Reference

MacKenzie, D. I., Nichols, J. D., Royle, J. A., Pollock, K. H., Bailey, L. L., and Hines, J. E. (2005).

Occupancy Estimation and Modeling :
Inferring Patterns and Dynamics of
Species Occurrence.

Elsevier, San Diego, USA.

Make Sure You all Run Out and Buy It!

Next Lecture: Multiple Seasons: Changes in Occupancy

- There are multiple visits within each of several seasons (Fig 7.1 from Mackenzie et al. 2005)
- Within a season we have closure while between seasons there can be local extinction (ϵ) and also local recolonisation (γ) (Fig 7.1 and 7.2).
- This is similar in concept to the robust design used for capture-recapture(Ch 19 Text) and for looking at changes in communities(Ch 20 text)).

Generalised Detection Histories

- For illustration of the approach attached is an example derivation of the detection history cell probability structure of a site over 3 seasons with 3 visits per season
1 1 0 0 0 0 0 1 0
- Parameters are initial occupancy, extinction, recolonisation, and detection probabilities
- As for the single season models, likelihoods can be constructed for submodels, best models can be found using AIC and then estimates computed for the best model

House Finch Expansion

- 1942 a small release of house finches was made on Long Island NY. Impressive western range expansion in the eastern US since then.
- On P 201 in Mackenzie et al. (2005) they give a detailed example of occupancy change, and colonisation over year since invasion and distance band from the release point. Details not discussed here.